

Syntax and Semantics

Lecture 04

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Introduction

- One of the problems in describing a language is the diversity of the people who must understand the description
 - ***Initial evaluators***
 - Language's designer
 - The success of feedback cycle depends heavily on the clarity of the description
 - ***Implementers***
 - Determine how the expressions, statements, and program units of a language are formed, and intended effect when executed
 - ***Users***
 - Determine how to encode software solutions referring to a language reference manual



Introduction

- The study of programming languages, like the study of natural languages, can be divided into examinations of ***syntax*** and ***semantics***
 - ***Syntax***: the ***form*** of its expressions, statements, and program units
 - ***Semantics***: the ***meaning*** of those expressions, statements, and program units



Introduction

- For example
while (boolean_expr) statement
- Semantics:
 - When the current value of Boolean expression is true, the embedded statement is executed.
 - Then control implicitly returns to the boolean_expr expression to repeat the process.
 - Otherwise, control continues after the ***while*** construct.



Introduction

- Syntax and semantics are closely related
- In a well-defined programming language, semantics should follow directly from syntax
 - The appearance of a statement should strongly suggest what the statement is meant to accomplish



Describing Syntax

- A language, whether natural or artificial, is a set of strings of characters from some alphabet
- The strings of a language are called ***sentences*** or ***statements***
- The *syntax rules* of a language specify which strings of characters from the language's alphabet are in the language
- For example, English
 - Has a large and complex collection of rules for specifying the syntax of its sentences



Describing Syntax

- The ***smallest units*** programming languages are called ***lexemes***
- The *lexemes* of a programming language include its *numeric literals, operators, and special words, among others*
 - One can think of programs as *strings of lexemes* rather than of characters
- Lexemes are partitioned into groups
- Each lexeme group is represented by a name, or ***token***
 - A token of a language is a category of its lexemes



Describing Syntax

- For example, an identifier is a token that can have lexemes, or instances, such as *sum* and *total*
- In some cases, a token has only a single possible lexeme
 - For example, the token for the arithmetic operator symbol `+` has just one possible lexeme



Describing Syntax

- Consider the following Java statement:
`index = 2 * count + 17;`
- The lexemes and tokens of this statement are

<i>Lexemes</i>	<i>Tokens</i>
index	identifier
=	equal_sign
2	int_literal
*	mult_op
count	identifier
+	plus_op
17	int_literal
;	semicolon



Language

- In general, languages can be formally defined in two distinct ways:
 - Recognition
 - Generation



Language Recognizers

- Suppose we have a language **L** that uses an alphabet **S** of characters
- To define **L** formally using the recognition method, we need to construct a mechanism **R**, called the recognition device, capable of reading strings of characters from the alphabet **S**
 - **R** would indicate whether a given input string was or was not in **L**
 - In effect, **R** would either accept or reject the given string
 - Such devices are like filters, separating legal sentences from those that are incorrectly formed



Language Recognizers

- If R , when fed any string of characters over S , accepts it only if it is in L , then R is a description of L .
- Because most useful languages are, for all practical purposes, infinite, this might seem like a lengthy and ineffective process.
- Recognition devices, however, are not used to enumerate all of the sentences of a language—they have a different purpose.



Language Recognizers

- The syntax analysis part of a compiler is a recognizer for the language the compiler translates
- The recognizer need not test all possible strings of characters from some set to determine whether each is in the language
- Rather, it need only determine whether given programs are in the language
- In effect then, the syntax analyzer determines whether the given programs are syntactically correct



Language Generators

- A language generator is a device that can be used to generate the sentences of a language



Formal Methods of Describing Syntax

- In the mid-1950s, Chomsky, a noted linguist (among other things), described four classes of generative devices or grammars that define four classes of languages (Chomsky, 1956, 1959)
- Two of these grammar classes, named *context-free* and *regular*, turned out to be useful for describing the syntax of programming languages
 - The forms of the tokens of programming languages can be described by *regular grammars*
 - The syntax of whole programming languages can be described by *context-free grammars*



Formal Methods of Describing Syntax

- **Backus-Naur Form**, or simply **BNF**, is a natural notation for describing syntax
- It is remarkable that BNF is nearly identical to Chomsky's generative devices for context-free languages, called context-free grammars



Fundamentals

- A **metalanguage** is a language that is used to describe another language
- BNF is a metalanguage for programming languages
- BNF uses abstractions for syntactic structures
- A simple Java assignment statement, for example, might be represented by the abstraction `<assign>`

`<assign>` \rightarrow `<var> = <expression>`

left-hand side (LHS)

right-hand side (RHS)

- Tokens
- Lexemes
- References to other abstraction

Altogether, the definition is called a **rule** or **production**



Fundamentals

- A simple Java assignment statement, for example, might be represented by the abstraction `<assign>`

`<assign> → <var> = <expression>`

- This particular rule specifies that
 - the abstraction `<assign>` is defined as an instance of the abstraction `<var>`
 - followed by the lexeme `=`
 - followed by an instance of the abstraction `<expression>`
- One example sentence whose syntactic structure is described by the rule is

`total = subtotal1 + subtotal2`



Fundamentals

- The *abstractions* in a BNF description, or grammar, are often called *nonterminal symbols*, or simply ***nonterminals***
- The *lexemes* and *tokens* of the rules are called terminal symbols, or simply ***terminals***
- A BNF description, or grammar, is a collection of rules
- Nonterminal symbols can have two or more distinct definitions, representing two or more possible syntactic forms in the language
 - Multiple definitions can be written as a single rule, with the different definitions separated by the symbol |, meaning logical OR



Fundamentals

- For example, a Java if statement can be described with the rules

$$\langle \text{if_stmt} \rangle \rightarrow \text{if} (\langle \text{logic_expr} \rangle) \langle \text{stmt} \rangle$$
$$\langle \text{if_stmt} \rangle \rightarrow \text{if} (\langle \text{logic_expr} \rangle) \langle \text{stmt} \rangle \text{ else } \langle \text{stmt} \rangle$$

or with the rule

$$\langle \text{if_stmt} \rangle \rightarrow \text{if} (\langle \text{logic_expr} \rangle) \langle \text{stmt} \rangle$$
$$| \text{if} (\langle \text{logic_expr} \rangle) \langle \text{stmt} \rangle \text{ else } \langle \text{stmt} \rangle$$

In these rules, $\langle \text{stmt} \rangle$ represents either a single statement or a compound statement



Describing Lists

- Variable-length lists in mathematics are often written using an ellipsis (...)
 - 1, 2, ... is an example
- BNF does not include the ellipsis, so an alternative method is required for describing lists of syntactic elements in programming languages
- For BNF, the alternative is **recursion**
- A rule is recursive if its LHS appears in its RHS
- The following rules illustrate how recursion is used to describe lists

`<ident_list> → identifier`

`| identifier, <ident_list>`



Grammars and Derivations

- A grammar is a generative device for defining languages
- The sentences of the language are generated through a sequence of applications of the rules, beginning with a special nonterminal of the grammar called the **start symbol**
- This sequence of rule applications is called a **derivation**
- In a grammar for a complete programming language, the start symbol represents a complete program and is often named <program>



Grammars and Derivations

- The simple grammar for assignment

A Grammar for a Small Language

$\langle \text{program} \rangle \rightarrow \text{begin } \langle \text{stmt_list} \rangle \text{ end}$

$\langle \text{stmt_list} \rangle \rightarrow \langle \text{stmt} \rangle$

$| \langle \text{stmt} \rangle ; \langle \text{stmt_list} \rangle$

$\langle \text{stmt} \rangle \rightarrow \langle \text{var} \rangle = \langle \text{expression} \rangle$

$\langle \text{var} \rangle \rightarrow A \mid B \mid C$

$\langle \text{expression} \rangle \rightarrow \langle \text{var} \rangle + \langle \text{var} \rangle$

$| \langle \text{var} \rangle - \langle \text{var} \rangle$

$| \langle \text{var} \rangle$



Grammars and Derivations

- A derivation of a program in this language

begin A = B + C ; B = C end

```
<program> => begin <stmt_list> end
=> begin <stmt> ; <stmt_list> end
=> begin <var> = <expression> ; <stmt_list> end
=> begin A = <expression> ; <stmt_list> end
=> begin A = <var> + <var> ; <stmt_list> end
=> begin A = B + <var> ; <stmt_list> end
=> begin A = B + C ; <stmt_list> end
=> begin A = B + C ; <stmt> end
=> begin A = B + C ; <var> = <expression> end
=> begin A = B + C ; B = <expression> end
=> begin A = B + C ; B = <var> end
=> begin A = B + C ; B = C end
```

A Grammar for a Small Language

```
<program> → begin <stmt_list> end
<stmt_list> → <stmt>
                | <stmt> ; <stmt_list>
<stmt> → <var> = <expression>
<var> → A | B | C
<expression> → <var> + <var>
                | <var> - <var>
                | <var>
```




Grammars and Derivations

- This derivation, like all derivations, begins with the start symbol, in this case <program>
- The symbol \Rightarrow is read “**derives**”.
- Each successive string in the sequence is derived from the previous string by replacing one of the nonterminals with one of that nonterminal’s definitions
- In this derivation, the replaced nonterminal is always the leftmost nonterminal in the previous sentential form.
 - Derivations that use this order of replacement are called **leftmost derivations**
- In addition to leftmost, a derivation may be rightmost or in an order that is neither leftmost nor rightmost.
- Derivation order has no effect on the language generated by a grammar



Grammars and Derivations

- A Grammar for Simple Assignment Statements

$\langle \text{assign} \rangle \rightarrow \langle \text{id} \rangle = \langle \text{expr} \rangle$

$\langle \text{id} \rangle \rightarrow A \mid B \mid C$

$\langle \text{expr} \rangle \rightarrow \langle \text{id} \rangle + \langle \text{expr} \rangle$

$\mid \langle \text{id} \rangle * \langle \text{expr} \rangle$

$\mid (\langle \text{expr} \rangle)$

$\mid \langle \text{id} \rangle$



Grammars and Derivations

- For example, the statement

$$A = B * (A + C)$$
$$\langle \text{assign} \rangle \Rightarrow \langle \text{id} \rangle = \langle \text{expr} \rangle$$
$$\Rightarrow A = \langle \text{expr} \rangle$$
$$\Rightarrow A = \langle \text{id} \rangle * \langle \text{expr} \rangle$$
$$\Rightarrow A = B * \langle \text{expr} \rangle$$
$$\Rightarrow A = B * (\langle \text{expr} \rangle)$$
$$\Rightarrow A = B * (\langle \text{id} \rangle + \langle \text{expr} \rangle)$$
$$\Rightarrow A = B * (A + \langle \text{expr} \rangle)$$
$$\Rightarrow A = B * (A + \langle \text{id} \rangle)$$
$$\Rightarrow A = B * (A + C)$$
$$\langle \text{assign} \rangle \rightarrow \langle \text{id} \rangle = \langle \text{expr} \rangle$$
$$\langle \text{id} \rangle \rightarrow A \mid B \mid C$$
$$\langle \text{expr} \rangle \rightarrow \langle \text{id} \rangle + \langle \text{expr} \rangle$$
$$\mid \langle \text{id} \rangle * \langle \text{expr} \rangle$$
$$\mid (\langle \text{expr} \rangle)$$
$$\mid \langle \text{id} \rangle$$